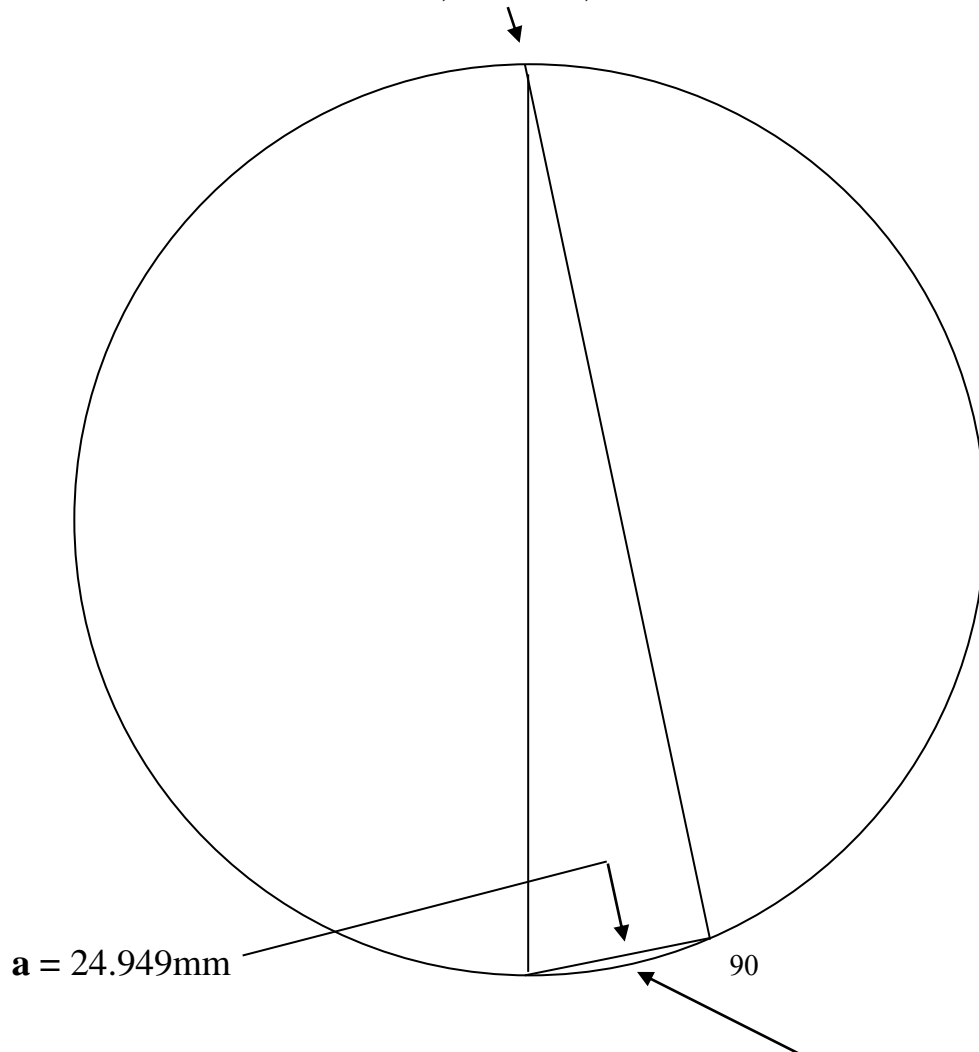


Investigation the subject $\sin x \setminus x$

Diameter of this circle is 120 mm , $\alpha=12$, $a=120*\sin 12 = 24.949$ mm



There is no mathematical way to calculate the length of **arc of a**
arc of a > a (the line of **a** is straight, and the **arc line**, is bent)

suppose that arc of a = $1.0074 * 24.949 = 25.1336$ mm

$a \setminus \text{arc of a} = 0.992655$

if $D=120$ km, then arc line is like a straight line, and **$a \setminus \text{arc of a} = 1$**

Diameter of this circle 1.2 mm , $\alpha=12$, $a=1.2*\sin 12= 0.24949$ mm

There is no mathematical way to calculate the length of **arc of a**

arc of this a >> a (because the arc line is more bent)

therefor, arc of this a = (number > 1.0074)*0.24949

if the number is 1.0077, then arc of this a = 0.251411mm

$a \setminus \text{arc of a} = 0.992363$

And now to very tiny circle

Diameter of this very tiny circle is 0.0012 mm , $\alpha = 12$,
 $a = 0.0012 * \sin 12 = 0.00024949$ mm

There is no mathematical way to calculate the length of **arc of a**

arc of a \ggg a (the arc line is very very bent)
therefor, arc of this a = (number > 1.0077)*0.00024949
if the number is 1.012, then arc of this a = 0.00025239
a \ arc of a = 0.9885057

if D = 0.0000000001 mm, then a\arc of a = 0.988

Here is the big bang in geometry

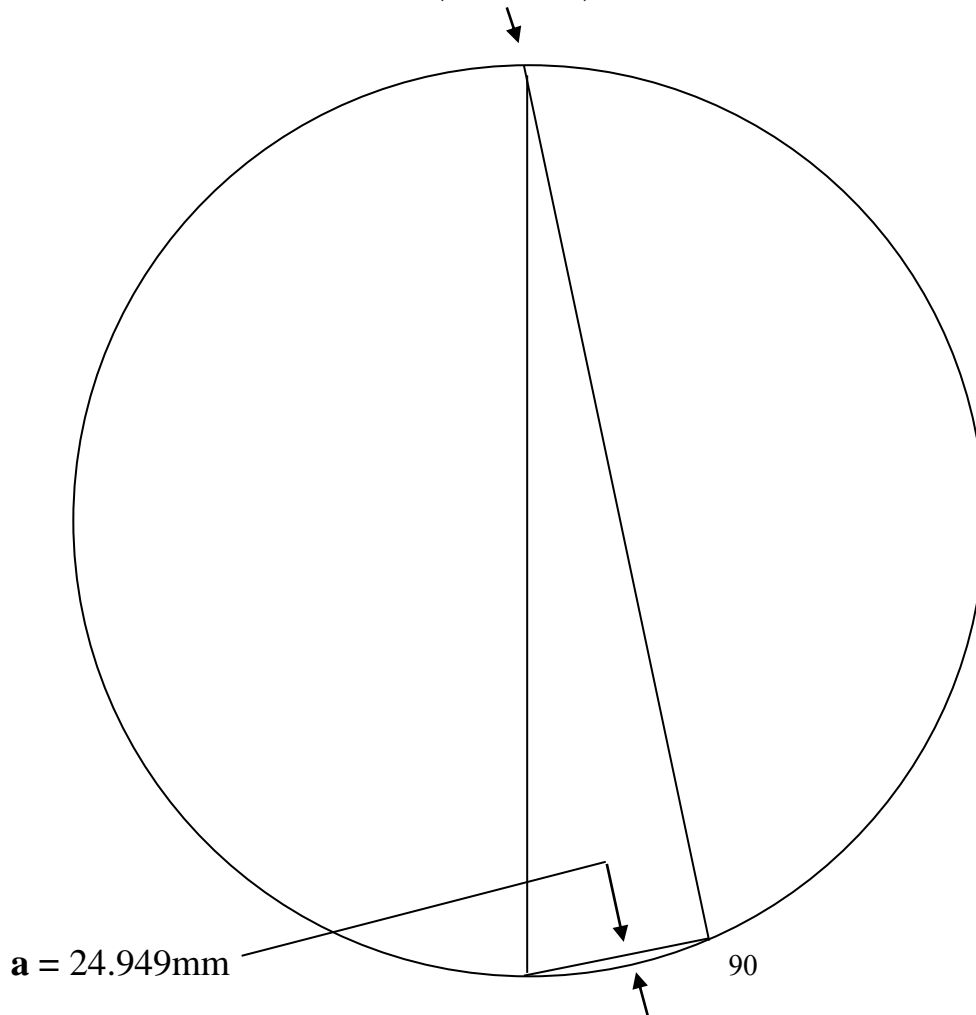
a \ arc of a - depends on the actual length of D
D is variable from infinity mm, to zero mm

The limit of $\sin x \backslash x = 1$ good only for D = infinity mm

Aetzbar
10\ 2018

pi pi pi pi pi pi pi pi pi pi pi pi pi pi pi pi pi pi piby Aetzbar geometry of real length of lines (..mm , cm , m , km ...)

Diameter of this circle is 120 mm , alfa=12 , $a=120*\sin 12 = 24.949$ mm



There is no mathematical way to calculate **arc of a**
arc of a > a (the line of a is straight, and the arc line, is bent)
suppose that **arc of a = $1.0074*24.949 = 25.1336$ mm**
pi of this circle = $15 \text{ arc} : 120 = 3.1417$

Diameter of this circle 1.2 mm , alfa=12 , $a=1.2*\sin 12= 0.24949$ mm

There is no mathematical way to calculate **arc of a**

arc of this a >> a (because the arc line is more bent)
therefor, arc of this a = (number > 1.0074)*0.24949
if the number is 1.0077, then arc of this a = 0.251411mm
pi of this circle = $15 \text{ arc} : 1.2 = 3.1426$

And now to very tiny circle

Diameter of this very tiny circle is 0.0012 mm , $\alpha = 12$,

$$a = 0.0012 * \sin 12 = 0.00024949 \text{ mm}$$

There is no mathematical way to calculate **arc of a**

arc of a >>> a (the arc line is very very bent)

therefor, arc of this a = (number > 1.0077)*0.00024949

if the number is 1.012, then arc of this a = 0.00025239

$$\text{pi of this circle} = 15 \text{ arc} : 0.0012 = 3.156$$

Here is the big bang in geometry

Each circle has a unique pi

Diameter of circle is 120 mm – pi = 3.1417

Diameter of circle is 1.2 mm – pi = 3.1426

Diameter of circle is 0.0012 mm – pi = 3.156

**Aetzbar
Pi day 2018**

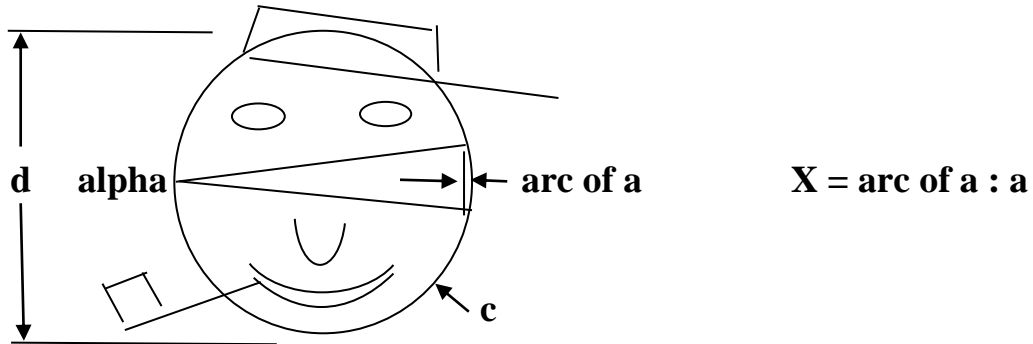
The constant of circles 1.007

d (diameter), and **c** (circumference), of a circle

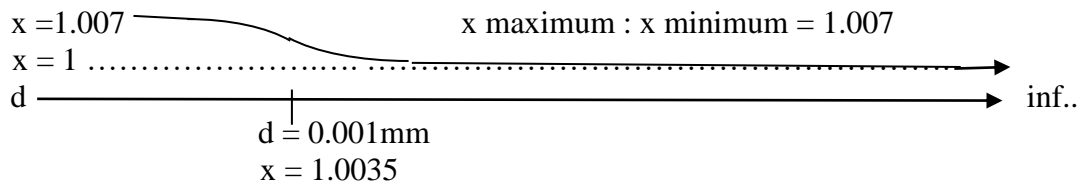
Two steps to a new geometric paradigm, by Aetzbar, 8\2017

The first step

When d goes to infinite, and alpha goes to zero, then X goes to 1

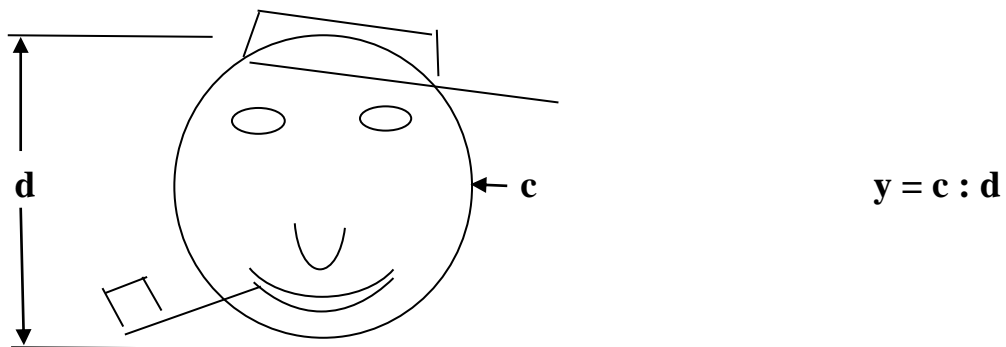


When d goes to zero, and alpha goes to zero, then X goes to 1.007



The second step

When d goes to infinite, ----- then y goes to 3.1416



When d goes to zero ----- then y goes to 3.164

$d = 0.001 \text{ mm}, y = 3.15$

y maximum : y minimum = 1.007 (the constant of circles)

